

Economic Growth  
Class 10  
Intro to technological change

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Concepts of Technology

- Types of technological change
- **Process**
  - produce higher quality versions of existing products
  - or produce an existing product at lower cost
- **Product**
  - New products are added to the basket of goods
- Nature of technological change: macro or micro
  - **Macro** changes are radical innovations (relatively rare)
    - \* introduction of general purpose technologies
    - \* such as steam engine, electricity, computer
  - **Micro** changes are smaller (the vast majority)
    - \* newer versions of existing items
    - \* better processes of production of existing product
    - \* reducing costs of production

Some characteristics of technology

- Nonrivalry
  - one producer improving efficiency doesn't prevent others from doing the same
  - potentially, all produces can increase efficiency

- can be difficult to prevent others from using
- Nonrivalry can be like a externality
  - think of the production function
 
$$Y = f(K, L, A)$$
  - can have constant returns to scale in  $K$  and  $L$
  - and **increasing returns to scale** in  $K$ ,  $L$ , and  $A$
- Not a pure public goods
  - may be excludable
  - especially if there are patents (government makes them excludable)
  - but may be through industrial secrets

#### Invention and profits

- Why do people make inventions (inovations)?
- Science: search for basic knowledge
  - frequently subsidized: new knowledge not immediately exploitable
- Potential profits for invention (which may use scientific knowledge)
  - reward from British navy for method to determine longitude (a clock, finally)
  - search to solve a costly problem
    - \* removing seeds from cotton
    - \* pump the water out of mines
  - potential market size matters
    - \* although frequently underestimated
    - \* example of estimates for number of computers needed in USA

#### Simple model of technology (partial equilibrium)

- Marginal cost of production of one unit of the good =  $\psi$
- Demand curve of the industry is

$$Q = D(p)$$

- where  $Q$  is the quantity sold and  $p$  is the price
- Assume  $D(\psi) > 0$ , so there is postive demand when price = marginal cost

- Elasticity of demand is

$$\varepsilon_D(p) = -\frac{pD'(p)}{D(p)} \in (1, \infty)$$

- this last implies that  $\varepsilon_D(p) > 1$ , so there exists a well defined monopolist price
- Assume that an innovation costs  $\mu > 0$  and reduces marginal costs by  $1/\lambda$  where  $\lambda > 1$
- Marginal costs after an innovation are  $\psi/\lambda$

Perfect competition

- There are  $N$  firms in the industry with access to the existing technology
- In initial equilibrium  $p = \psi$  and the profits of a firm are

$$\pi_i = (p - \psi) Q_i = 0$$

– If all firms are the same,  $Q_i = D(\psi)/N$

- What are the incentives of a firm to spend  $\mu$  to make an innovation

Perfect competition

- Suppose that firm 1 spends for the innovation
  - Assume the innovation is nonexcludable (so all firms can use it)
  - Profits to firm 1 are

$$\pi_1^* = (p^* - \psi/\lambda) Q_1^* - \mu$$

– But all firms can use the innovation, so  $p^* = \psi/\lambda$ , and

$$\pi_1^* = -\mu$$

and

$$\pi_{i \neq 1}^* = 0$$

- There are no incentives for any firm to innovate: no innovation occurs

Ex post monopoly power on the innovation

- Suppose that the inventing firm can prevent other firms from using its innovation
- Suppose that the innovation is **drastic** ( $\lambda$  is large) and the firm becomes a monopolist

- Firm maximizes (wrt  $p$ )

$$\pi'_1 = (p - \psi/\lambda) D(p) - \mu$$

Ex post monopoly power on the innovation

- First order condition is

$$0 = D(p) + (p - \psi/\lambda) D'(p)$$

or

$$\frac{D(p)}{pD'(p)} + 1 = \frac{\psi/\lambda}{p}$$

or

$$p^m = \frac{\psi/\lambda}{1 - \varepsilon(p^m)^{-1}}$$

- If  $p^m < \psi$ , this firm will charge the price  $p^m$  and will take over the whole market

Ex post monopoly power on the innovation

- If  $p^m > \psi$  the innovation is NOT drastic (Limit pricing solution)
- The innovating firm cannot charge  $p^m$ , since the other firms charge  $p^* = \psi$
- The innovating firm will have profits of

$$\pi'_1 = (p^* - \psi/\lambda) \frac{D(\psi)}{N} - \mu$$

- The other firms will have zero profits
- Of course, other firms have incentives to try and steal the technology
  - stealing may be cheaper than innovating